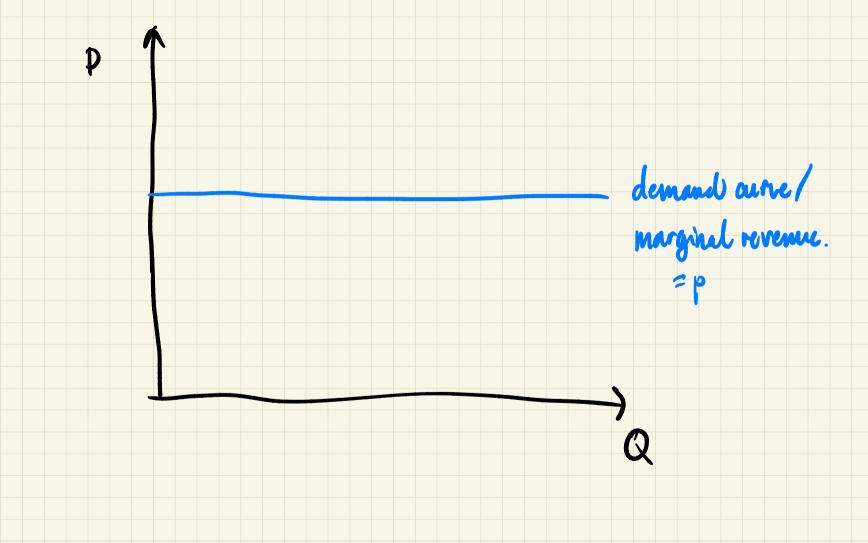
Lecture 11: In-class problems EVENING

11/10/2020



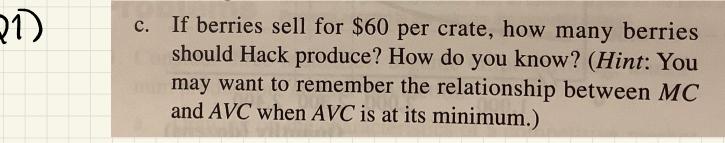
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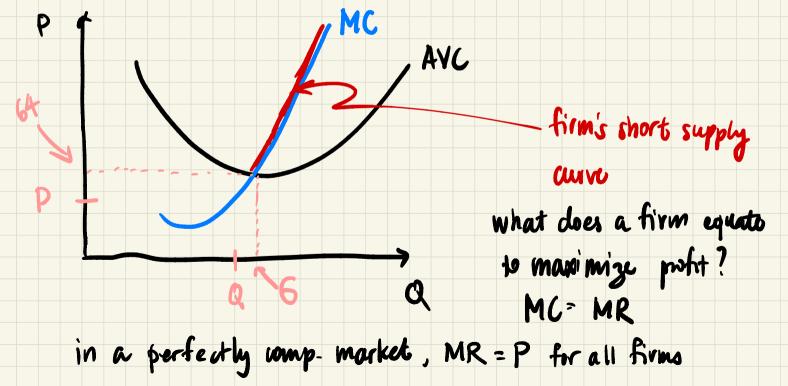
- 8. Hack's Berries faces a short-run total cost of production given by $TC = Q^3 12Q^2 + 100Q + 1,000$, where Q is the number of crates of berries produced per day. Hack's marginal cost of producing berries is $3Q^2 24Q + 100$.
 - a. What is the level of Hack's fixed cost?

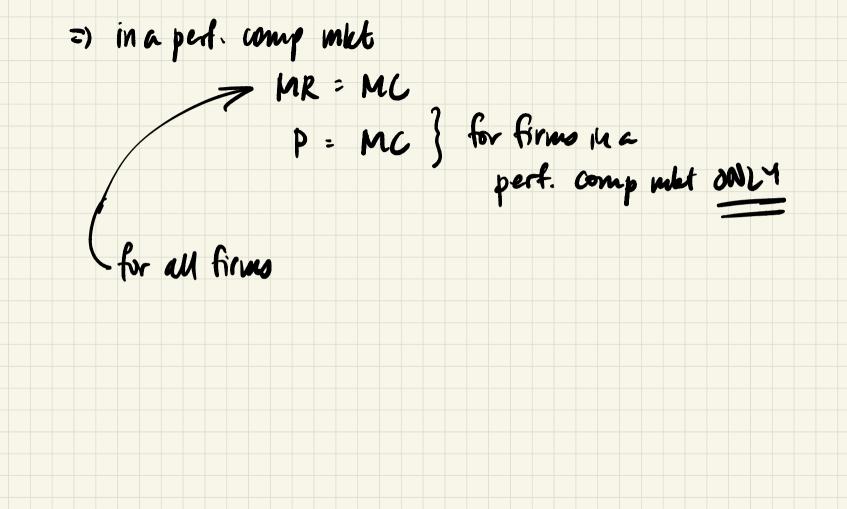
the part that does not depend on Q

b. What is Hack's short-run average variable cost of producing berries?

AVC =
$$\frac{VC}{Q} = \frac{Q^3 - 12Q^2 + 100Q}{Q} = Q^2 - 12Q + 100$$







First, figure out firms supply curve
$$MC$$
 where $MC > AVC$ $Q^2 - 12Q + 100$
Solve for $MC = AVC$ $= 6^2 - 12(6) + 100$
 $3Q^2 - 24Q + 100 = Q^2 - 12Q + 100 = 64$
 $3Q^2 = Q^2 + 12Q$ At a price of \$60, the firm does not want to produce $Q = Q^2 = 12Q$

d. If the price of berries is \$79 per crate, how many berries should Hack produce? Explain.

Plug P = 79 into MC $3Q^2 - 24Q + 100 = 79$ then the answer involves the quad. egn. Q= {1/7}

13. Five hundred small almond growers operate areas with plentiful rainfall. The marginal cost of producing almonds in these locations is given by MC = 0.02Q, where Q is the number of crates produced in a growing season. Three hundred almond growers operate in drier areas where costly irrigation is required. The marginal cost of growing almonds in these locations is given by MC = 0.04Q.

a. Find the individual supply curve for each type of almond grower. (Hint: Remember that the supply relationship expresses the quantity brought to market at various prices. Remember also that for a perfectly competitive firm, P = MR.)

b. "Add up" the individual supply curves to derive the market supply curve.

c. If the market demand for almonds is $Q^D = 105,000 - 2,500P$, what will the equilibrium price of almonds be? The equilibrium quantity?